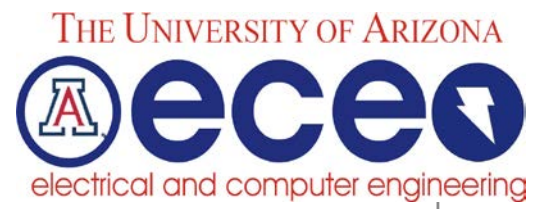


Co-existence of MIMO Radar and Communication Systems: Real-Time Framework for Interference Control

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Spectrum Sharing Around the Globe (1/2)

Geographical
Area

Population

Economy

Releasing radar bands is not feasible, and data-base approaches are more attractive. (Radar remains the primary user)



Spectrum Sharing Around the Globe (2/2)

Releasing radar bands is less expensive compared to data-base approaches. (Radar becomes the a secondary user)

Can radar operate as a secondary user?



Objectives

Design a MIMO radar as a secondary user with interference avoidance (and control) capabilities

Suggest a timing framework to enable such a MIMO radar design

We propose a MIMO radar pre-coder design based on a steepest descent approach

Why MIMO Radar?

MIMO vs Phased array

1. Improved parameter identifiability

Higher target resolution.

2. Better beam-pattern matching designs, lower side lobes

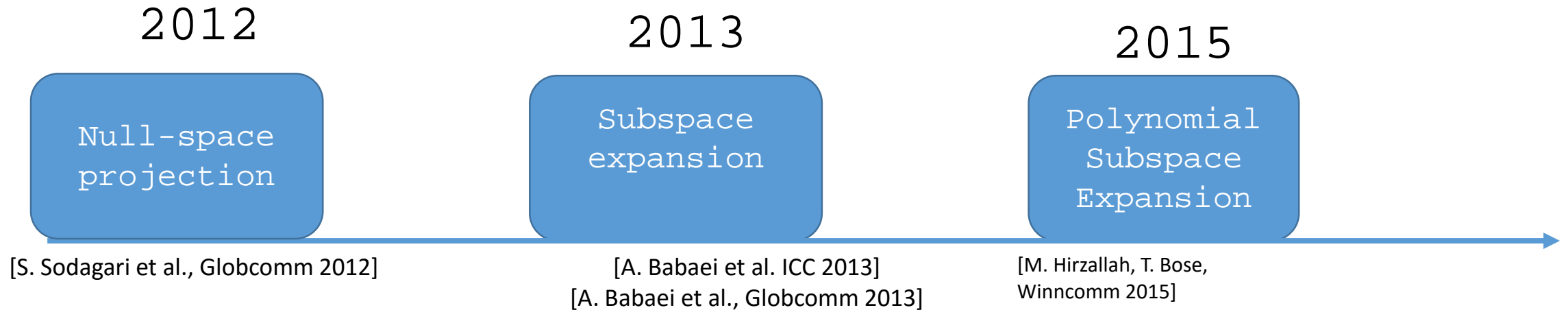
3. Improved interference rejection capabilities

MIMO radar provides higher degree of freedom in design, and more flexibility in trade-off in the spectrum sharing



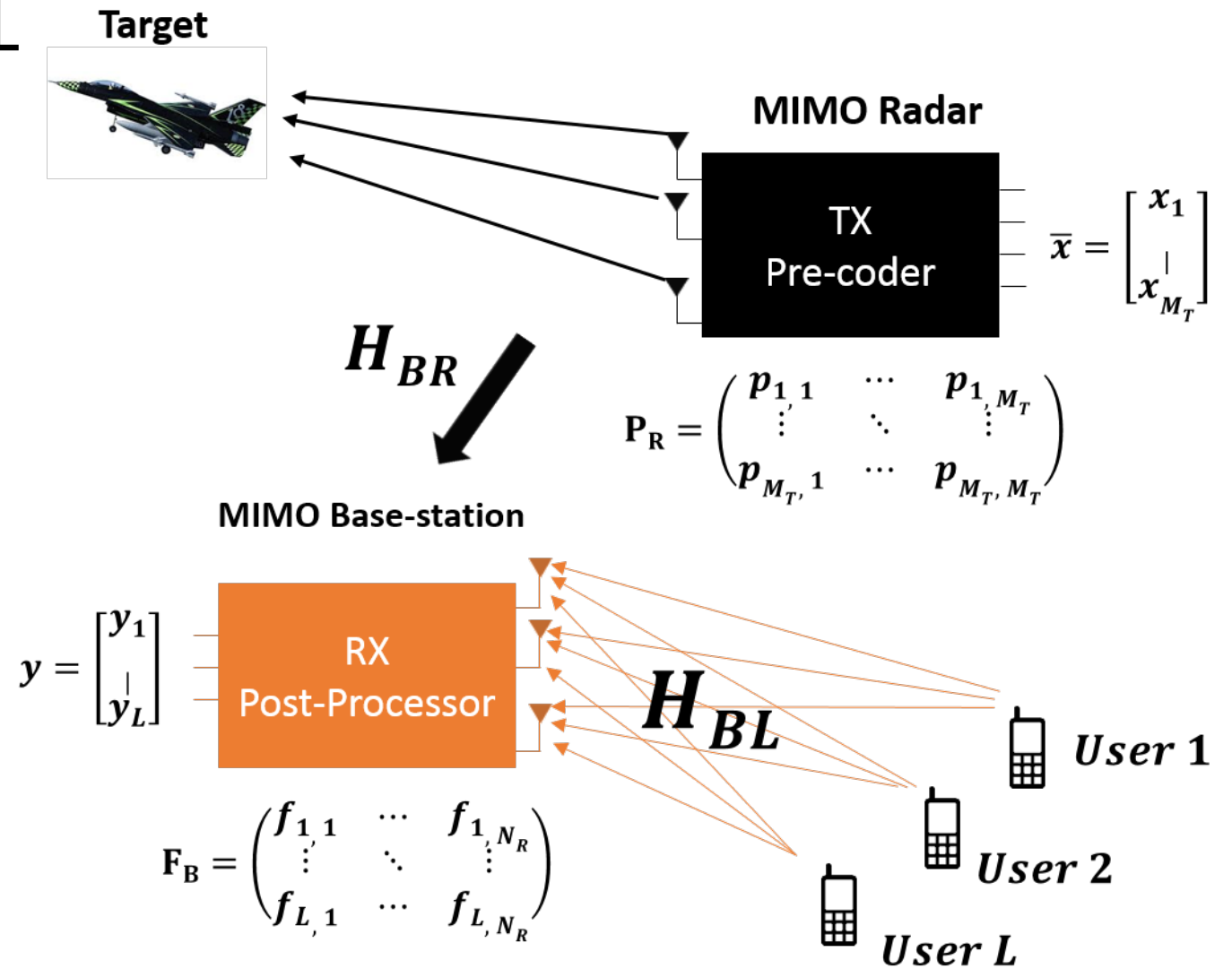
Independent waveforms

Previous Literature: Opportunistic MIMO Radar Interference Control



The computational complexity is
high!!
Can we reduce it?

System Model



Pre-coder Design

Steepest descent (SD) solution

$$P_R[k+1] = P_R[k] + 2\mu \epsilon[k] \cdot \|F_B H_{BR}\|_F \cdot P_R[k]$$

$$= P_R[k] + 2\mu \epsilon[k] \cdot \|F_B H_{BR} P_R[k]\|_F$$

Derivations are
in the paper

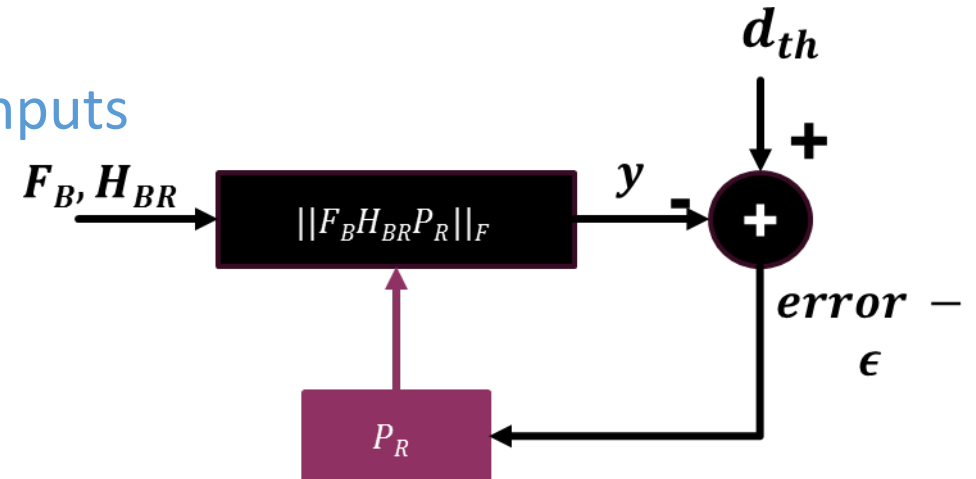
$$P_R[k+1] = P_R[k] + 2\mu \epsilon[k] \cdot \|F_B H_{BR} P_R[k]\|_F$$

$$= P_R[k] + 2\mu \epsilon[k] \cdot \|F_B H_{BR}\|_F \cdot P_R[k]$$

$$d_{th} = \|F_B H_{BR} P_R\|_F$$

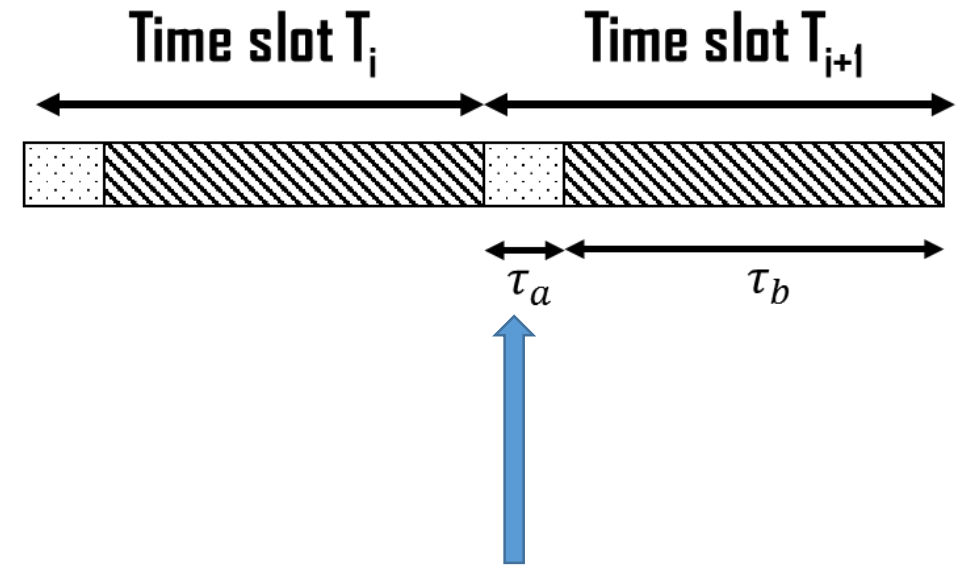
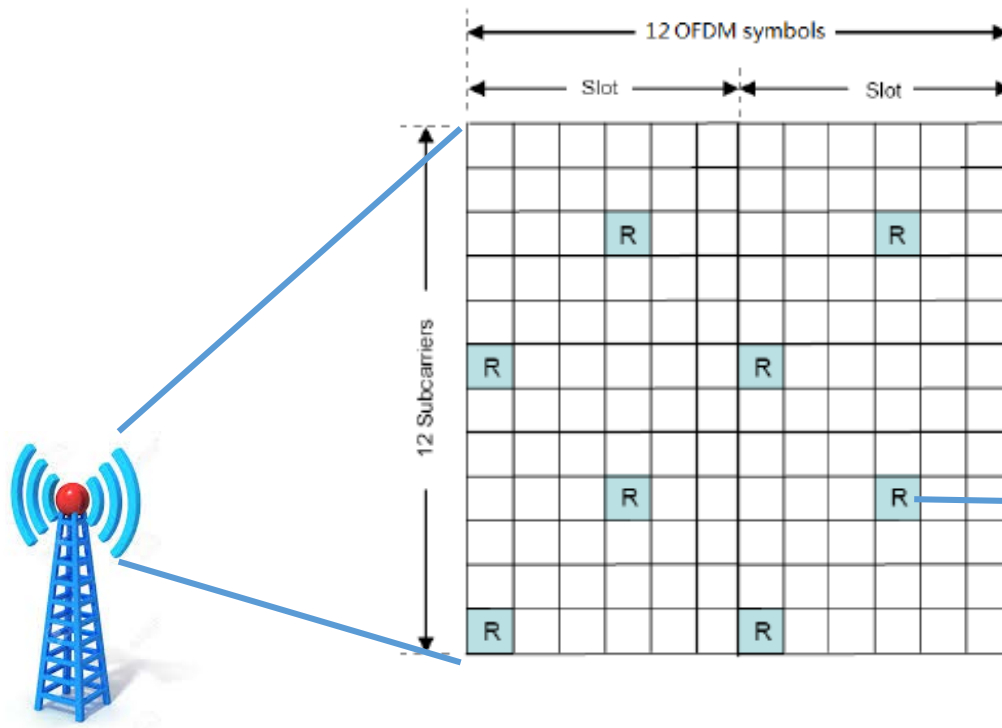
Tolerable level
of interference

Inputs



How to obtain inputs
 $F_B H_{BR}$?

Time Framework



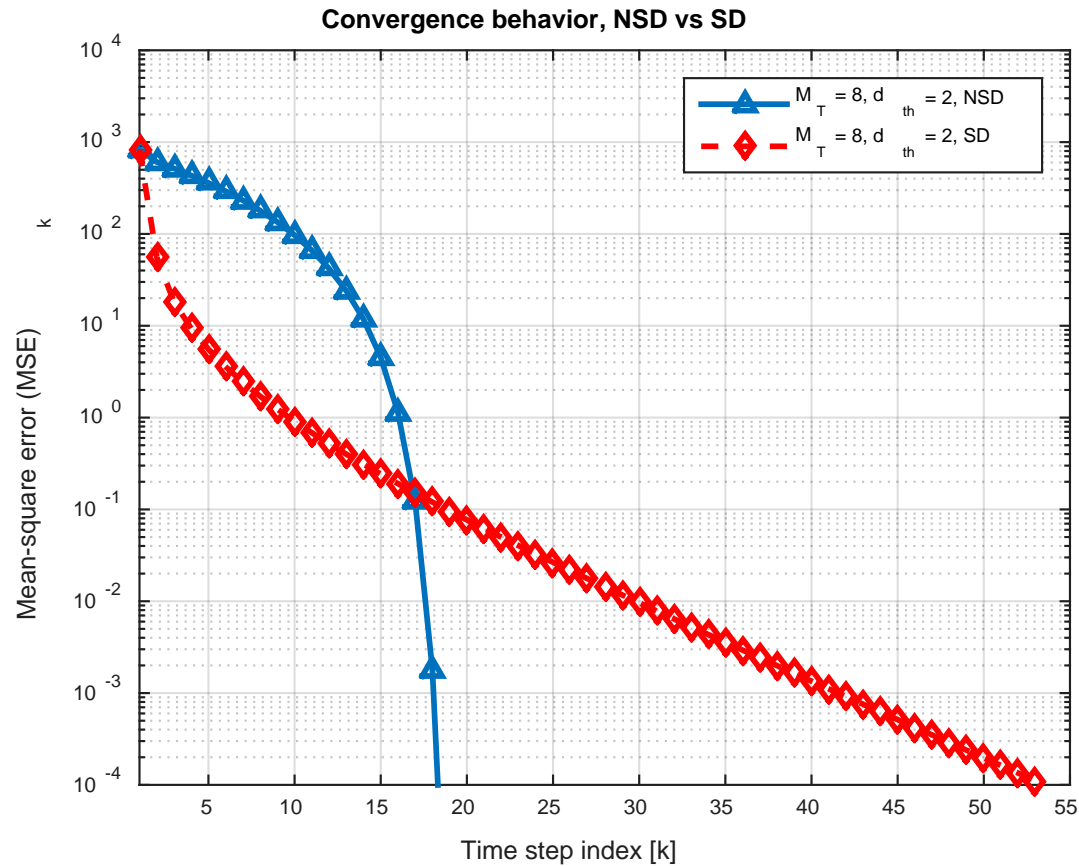
Radar overhears reference symbols (RS) for a time period τ_a to estimate $F_B H_{BR}$

Algorithm: SD based interference control

Algorithm 1 SD-based interference control

- 1: **procedure** DESIGN RADAR'S PRE-CODER P_R
 - 2: **Start new time slot** T_i :
 - 3: **Inputs:** $d_{th}^{(i)}$, $F_B^{(i)}$, and $H_{BR}^{(i)}$
 - 4: State the error tolerance $\delta^{(i)}$ and the convergence factor $\mu^{(i)}$:
 - 5: $\delta^{(i)} = 0.01, 0 \leq \mu^{(i)} \ll 1$
 - 6: State the initial pre-coder settings, $P_R^{(i)}[k = 0]$:
 - 7: $P_R^{(i)}[k = 0] = \text{randn}(M_T) + j \text{randn}(M_T)$, or
 - 8: $P_R^{(i)}[k = 0] = P_R^{(i-1)}$
 - 9: Keep updating the radar' pre-coder using (6) or (10) and stop when $\left| d_{th}^{(i)} - \|F_B^{(i)} H_{BR}^{(i)} P_R^{(i)}[k]\|_F \right| \leq \delta^{(i)}$ is satisfied
 - 10: **Outputs:**
 - 11: $P_R^{(i)}$
 - 12: **Channel changes**
 - 13: **loop to:** start a new time slot, T_{i+1}
-

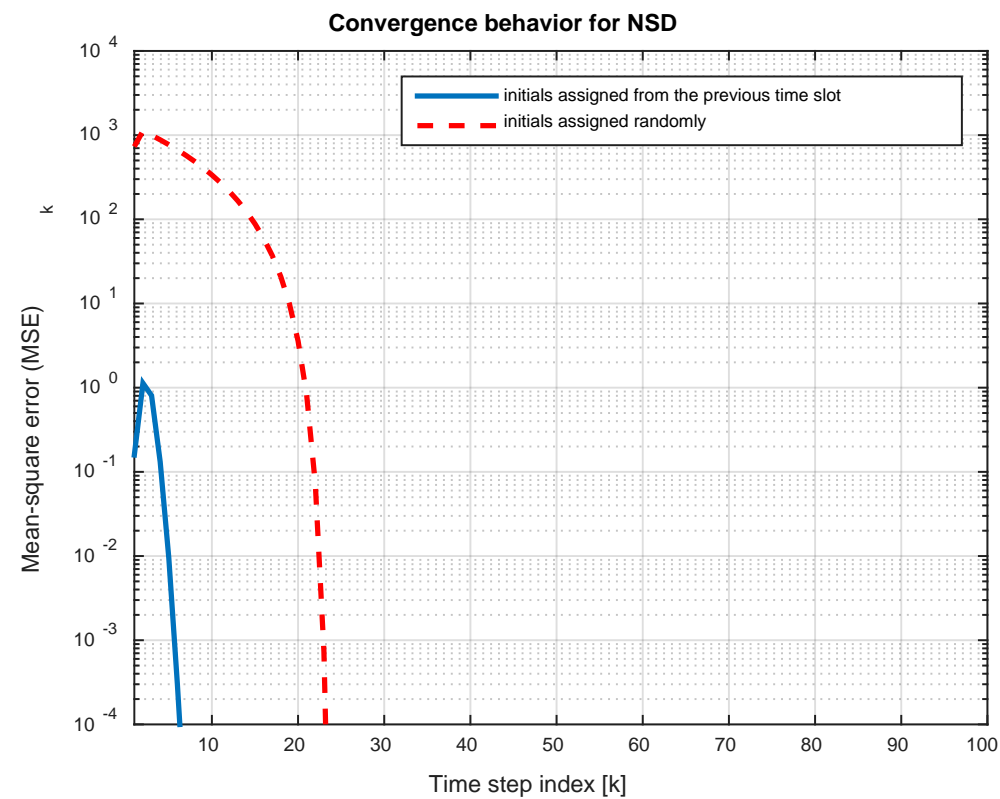
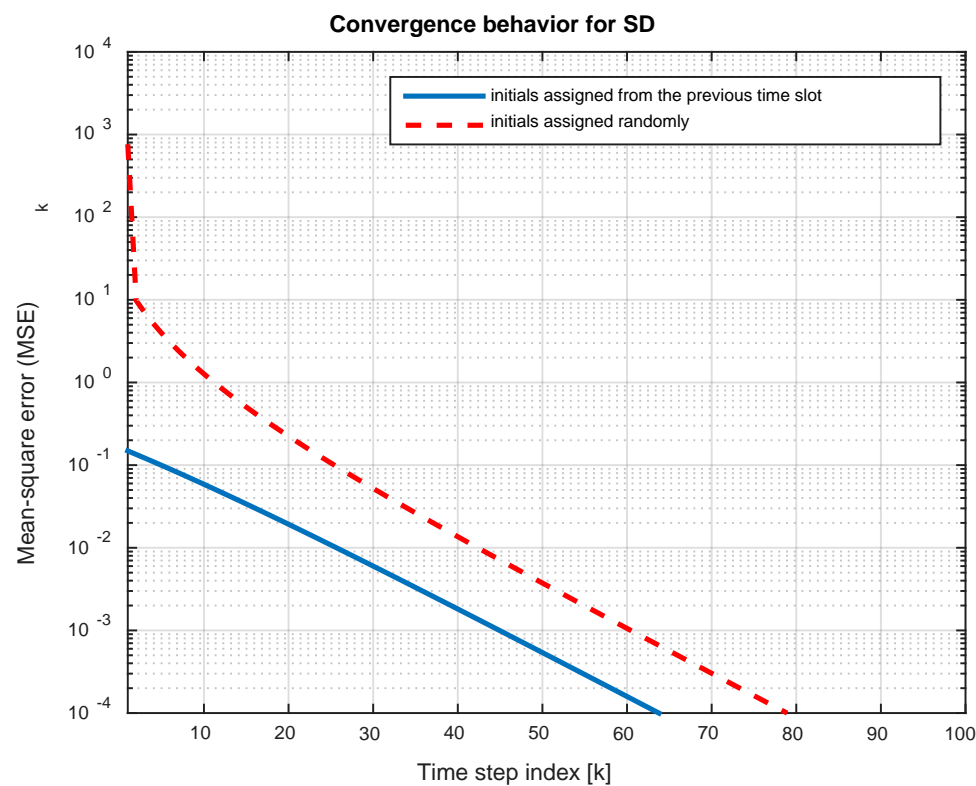
Numerical Results (1/3)



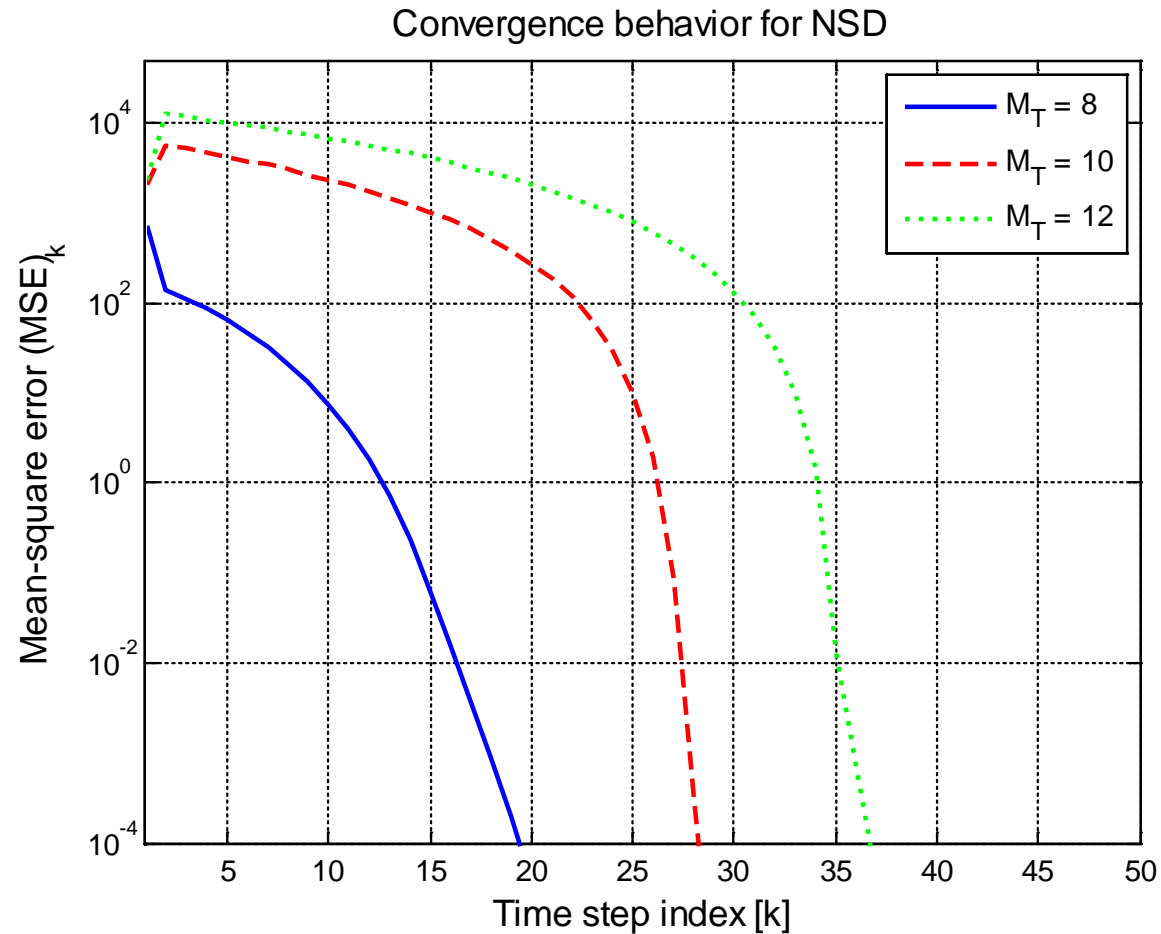
Steepest descent (SD)
vs normalized
steepest descent
(NSD) performance

Numerical Results (2)

Effect of initial settings on both designs



Numerical Results (3/3)



Scalability of the solution with the increase in the number of antennas

Conclusions & Future Work

- We have presented an secondary user MIMO radar scheme, where we reduce the interference caused into communication receiver
- We have derived two pre-coder solutions based on a steepest descent approaches
- Our future work will include an investigation for the performance of MIMO radar under the proposed scheme

Questions?

